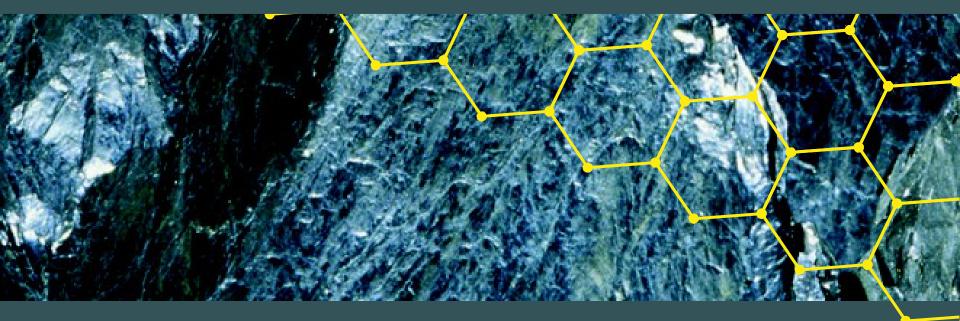
CHEMSTRY Gilbert an atoms-focused approach Foster



Chapter 1 Properties of Gases The Air We Breathe

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Chapter Outline

1.1 States of Matter

- 1.2 Forms of Energy
- 1.3 Classes of Matter
- 1.4 Properties of Matter
- 1.5 Atomic Theory: The Scientific Method in Action
- 1.6A Molecular View
- 1.7 COAST: A Framework for Solving Problems
- 1.8 Making Measurements and Expressing Results
- 1.9 Unit Conversions and Dimensional Analysis
- 1.10 Temperature Scales





Chemistry: Definitions

- Chemistry -the study of the composition, structure, and properties of matter and of the energy consumed or given off when matter undergoes a change
- Matter anything that occupies space and has mass
- Mass defines the quantity of matter in an object
- Energy capacity to do work

Particles Making Up Matter

- Atoms tiny, indivisible particles that are the building blocks of matter
- Molecules groups of atoms held together in particular pattern and proportion
- Chemical Bonds forces that hold atoms together
 - One type forms molecules
 - Another type forms ionic compounds

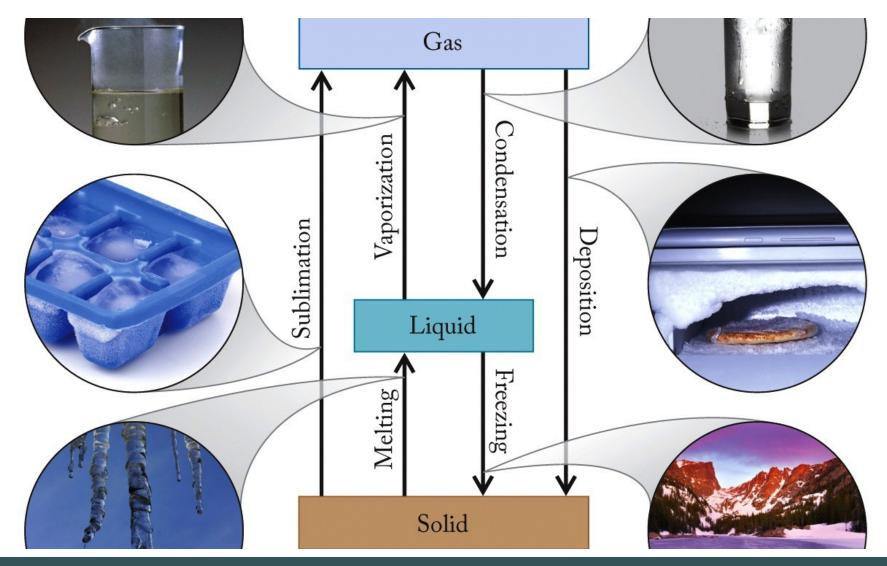




- Solids definite shape and volume.
- Liquids definite volume but flows to assume the shape of its container.
- Gases (vapors) neither definite volume nor shape; expands to fill its container.

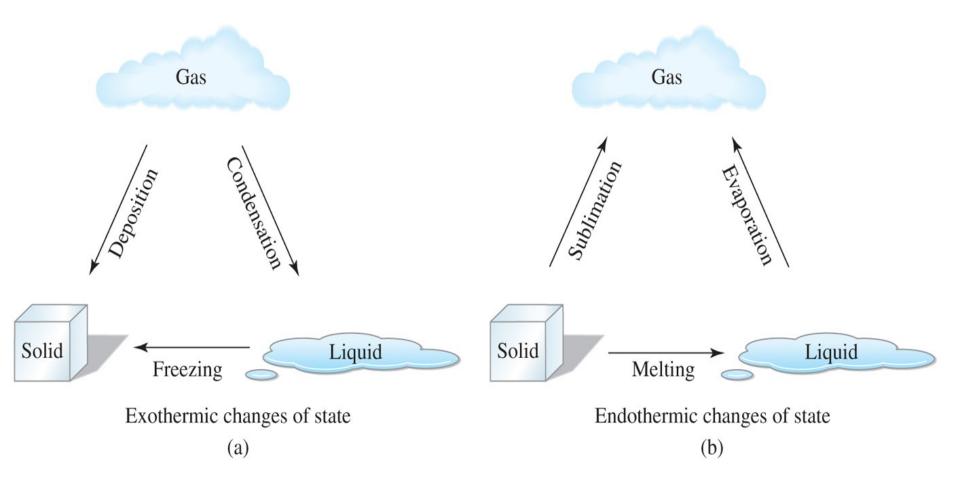
Changes in State





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Changes in State



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Forms of Energy

- Work
- Heat
- Potential Energy
- Kinetic Energy
- Law of Conservation of Energy

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Classes of Matter

- Types of Matter:
 - Pure substances
 - same physical and chemical properties throughout
 - cannot be separated into simpler substances by physical processes
 - Mixtures
 - combination of two or more pure substances
 - can be separated by physical processes

Pure Substances



Elements

- a pure substance that cannot be separated into simpler substances by any chemical process.
- Compounds
 - pure substance composed of two or more elements bonded together in fixed proportions.
 - can be broken down into individual elements by chemical means.

Compounds (cont.)



- Law of Constant Composition
 - All samples of a particular compound contain the same elements combined in the same proportions.
 - Example: water (H₂O)
 - Consists of two units of hydrogen (H) combined with one unit of oxygen (O)
 - Elements and proportions represented by chemical formula (Section 1.6).

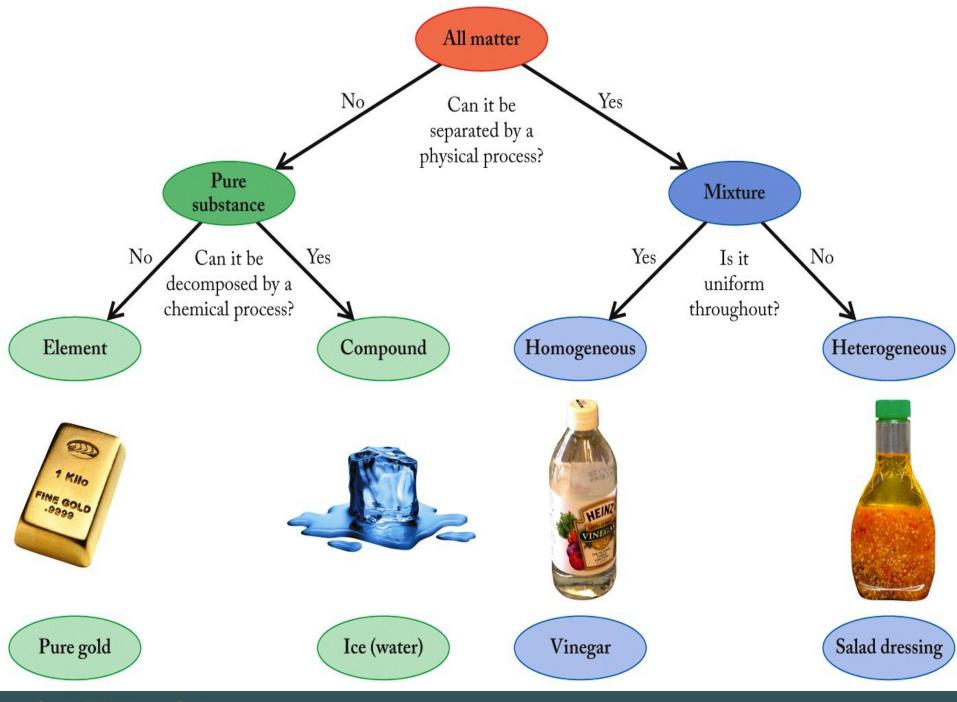
Figure 1.7 Pure Substances







- Homogeneous
 - Also known as solutions, its components are distributed uniformly throughout the sample and have no visible boundaries or regions.
- Heterogeneous
 - Components are not distributed uniformly, contains distinct regions of different composition.



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Separating Mixtures

- Distillation
 - separation using different boiling points
- Filtration
 - separation by size
- Chromatography

 separation by solubility

Distillation



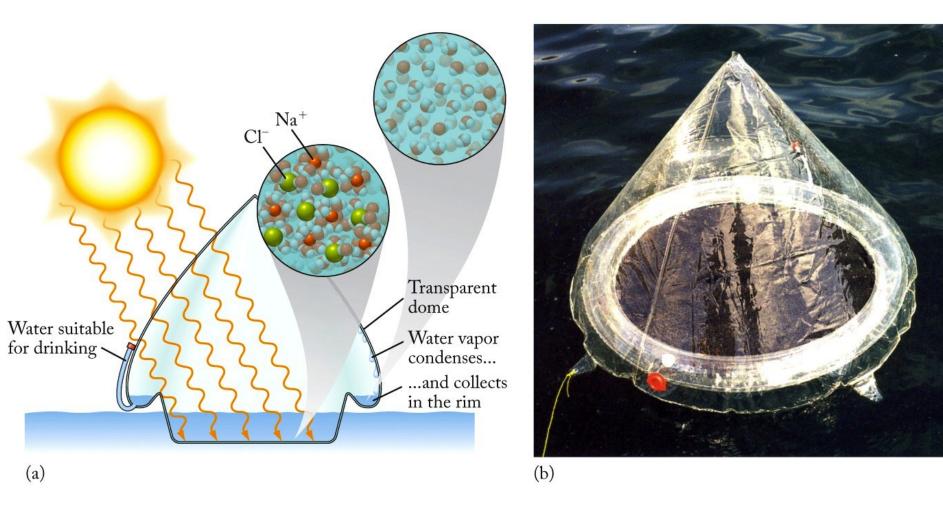


Fig. 1.8 Collection of pure water from seawater using a solar still.

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Properties of Matter

- Intensive property
 - A property that is independent of the amount of substance present
 - Examples: color, melting point
- Extensive property
 - A property that varies with the amount of the substance present
 - Examples: volume, mass

Properties of Matter

- Physical property
 - Property of a substance that can be observed without changing it into another substance
 - Examples: luster, hardness, solubility, etc.
- Chemical property
 - Property of a substance that can be observed only by reacting it to form another substance
 - Example: flammability





- Density a measure of how tightly packed the particles in a substance are
- mass of substance per unit volume of the substance

density =
$$\frac{\text{mass}}{\text{volume}}$$

(Density: intensive or extensive property?)

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Scientific Method

- Scientific Method general explanation of widely observed phenomena
- Hypothesis
- Scientific theory

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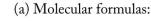
A Molecular View



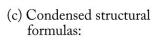
- Chemical Formula
 - Notation for representing elements and compounds
 - Consists of symbols of constituent elements, and subscripts identifying the number of atoms of each element in one molecule.
- Molecular Formula
- Structural Formula

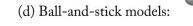
Chemical Formulas

- Some chemical bonds link atoms together to make molecules.
- Chemical formulas can be represented in four ways:
 - Molecular formulas
 - Structural formulas
 - Condensed structural formulas
 - Ball-and-stick models
 - Space-filling models

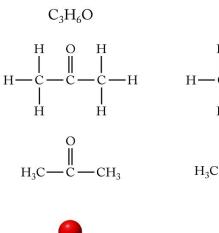


(b) Structural formulas:





(e) Space-filling models:





-H

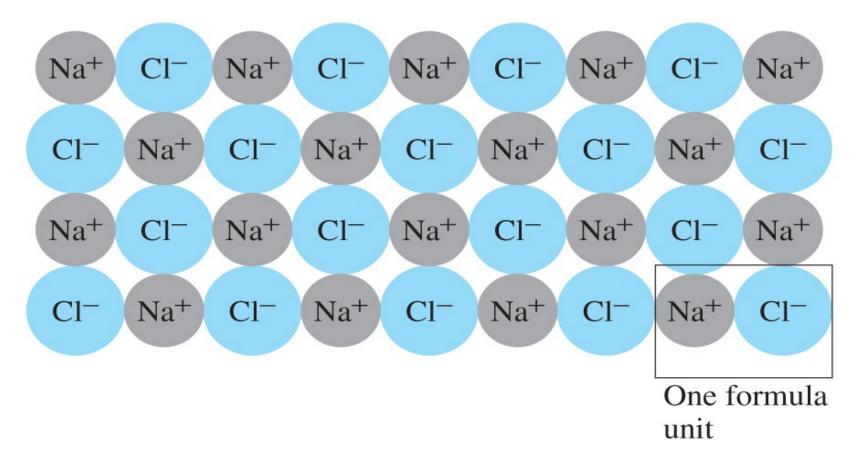
 $C_2H_4O_2$





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Ionic Compounds



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- Collect and Organize
 - Identify key concepts, skills required to solve problem, and assemble information needed.
- Analyze
 - Evaluate information and relationships or connections; sometimes units will help identify steps needed to solve the problem.
- Solve
 - Perform calculations, <u>check units</u>, etc.
- Think about it
 - Is the answer reasonable? Are the units correct?

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Making Measurements

- Measurements
 - Essential for characterizing physical and chemical properties of matter
 - Two parts of every measurement:

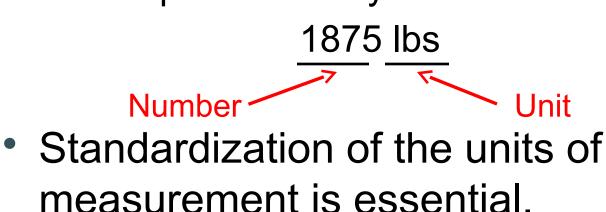


TABLE 1.2SI Base Units

Quantity or Dimension	Unit Name	Unit Abbreviation	
Mass	kilogram	kg	
Length	meter	m	
Temperature	kelvin	К	
Time	second	S	
Electric current	ampere	А	
Quantity of a substance	mole	mol	

The Mole

- •A mole is a very large number 1 mole = 6.022E23
- •Moles are useful when counting atoms, molecules, or sub atomic particles
- •Think of a mole as we do with other abbreviations
- 1 dozen = 12
- 1 gross = 144
- 1 thousand = 1000
- 1 mole = 6.022 E23

(1 gram of hydrogen contains 1 mole of atoms)

TABLE 1.1 Commonly Used Prefixes for SI Units				
PR	REFIX	VALUE		
Name	Symbol	Numerical	Exponential	
zetta	Z	1,000,000,000,000,000,000	1021	
exa	Е	1,000,000,000,000,000	1018	
peta	Р	1,000,000,000,000,000	1015	
tera	Т	1,000,000,000,000	1012	
giga	G	1,000,000,000	109	
mega	М	1,000,000	106	
kilo	k	1,000	10 ³	
hecto	h	100	10 ²	
deka	da	10	101	
deci	d	0.1	10-1	
centi	с	0.01	10-2	
milli	m	0.001	10-3	
micro	μ	0.000001	10-6	
nano	n	0.00000001	10-9	
pico	р	0.00000000001	10 ⁻¹²	
femto	f	0.00000000000001	10-15	
atto	a	0.0000000000000000000000000000000000000	10 ⁻¹⁸	
zepto	Z	0.0000000000000000000000000000000000000	10 ⁻²¹	





The prefix is placed before the base unit.

This multiplies the base unit and creates a new larger or smaller unit.

1 m = 1 meter

- 1 km = 1 * 1000 * m = 1000 meters
- 1 cm = 1 * 1E-2 * m = 0.01 meters

1 mg = 1 * 1E-3 * g = 0.001 grams





*The liter is a derived unit since it is based on the meter:

Volume = length x width x height Liter = 0.1 m * 0.1 m * 0.1 m

*One liter is a little more than a quart

```
*1 mL = 0.001 L = 1 cm x 1 cm x 1 cm = 1 cm<sup>3</sup>
```

```
*1 \text{cm}^3 = 1 mL = 1 cc (cubic centimeter)
```

*The mass of 1 mL of water is 1 gram

Conversion Factors for SI and Other Commonly Used Units TABLE 1.3 Quantity or Dimension Equivalent Units 1 kg = 2.205 pounds (lb); 1 lb = 0.4536 kg = 453.6 gMass 1 g = 0.03527 ounce (oz); 1 oz = 28.35 g1 m = 1.094 yards (yd); 1 yd = 0.9144 m (exactly) 1 m = 39.37 inches (in); 1 foot (ft) = 0.3048 m (exactly)Length (distance) 1 in = 2.54 cm (exactly) 1 km = 0.6214 miles (mi); 1 mi = 1.609 km $1 \text{ m}^3 = 35.31 \text{ ft}^3$; $1 \text{ ft}^3 = 0.02832 \text{ m}^3$ $1 \text{ m}^3 = 1000 \text{ liters (L) (exactly)}$ Volume 1 L = 0.2642 gallon (gal); 1 gal = 3.785 L1 L = 1.057 quarts (qt); 1 qt = 0.9464 L

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Uncertainty in Measurements

- All measurements contain uncertainty.
 - depends on instruments used to make measurement.
- A digit that must be estimated is called uncertain (last recorded digit).





 ± 0.0001 g

Significant Figures

- Include all digits known with certainty plus one digit that is uncertain
- Rules for counting significant figures
 - All nonzero integers are significant.
 - Zeros depend on location.
 - leading zeros not significant
 - "captive" zeros significant
 - trailing zeros significant is there is a decimal anywhere in the value
 - Exact numbers

Counting Significant Figures

- Nonzero integers <u>always</u> significant.
 - 283 \rightarrow 3 sig. figs.
 - 7.315 \rightarrow 4 sig. figs.
- Zeros
 - leading zeros <u>not</u> significant.
 > 0.0392 → 3 sig. figs.

Counting Significant Figures

- Zeros (cont.)
 - trailing zeros not significant <u>unless</u> there is <u>a decimal anywhere in the number.</u>
 - \succ 600 \rightarrow 1 sig. fig.
 - > 30.000 \rightarrow 5 sig. figs.
 - Captive zeros <u>always</u> significant.
 > 50.06 → 4 sig. figs.
- Exact numbers → infinite # of sig. figs.
 >Often defined values or relationships

Practice: Significant Figures

How many significant figures are in the following numbers?

0.0280 g

2100 lb

10.50 mL

670.1 g

Significant Figures in Mathematical Operations



- Rounding off
 - Dropping "insignificant" digits
 - Only at the end of calculations!
- "Weakest link" Principle
 - The number of significant figures in the final result cannot be greater than the "weakest link" used in the calculation.
 - Actual rule depends on mathematical operation.



- Multiplication / Division:
 - # of sig figs in the result = # of sig figs in the initial value with the least number of sig figs.
 - $6.38 \times 2.0 = 12.76 \rightarrow 13$ (2 sig. figs.)
 - $16.84 / 2.54 = 6.6299 \rightarrow 6.63$ (3 sig. figs.)



Addition / Subtraction:

of sig figs in the result depends on the number of <u>decimal places</u> (precision) in the least precise measurement.
 6.8 g + 11.934 g = 18.734 g → 18.7 g

(first decimal)



Round the answer for the mathematical operation below to the appropriate number of significant figures.

$$1.23 \text{ g} - 0.567 \text{ g} = 1.924975 \text{ g/m}?$$

0.34442 m

Precision and Accuracy

- Accuracy agreement between measured value and accepted or true value.
- Precision agreement among repeated measurements.
- Which is accurate? Which is precise?







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Changing Units: Conversion Factors



- We often need to change values from one unit to another.
- To do this, we multiply the initial value by a conversion factor.
- Conversion factors are ratios of the desired and initial units.
- Conversion factors equal 1, and so the magnitude of the initial value is not changed.

Changing Units: Conversion Factors



- Conversion factor
 - a fraction in which the numerator and denominator represent equivalent quantities, but expressed in different units.

• 1 km = 0.6214 mi
$$\rightarrow \frac{1 \text{ km}}{0.6214 \text{ mi}}$$
 or $\frac{0.6214 \text{ mi}}{1 \text{ km}}$

Converting a value from one unit to another:

$$\frac{\text{initial units}}{\text{initial units}} = \text{desired units}$$

Changing Units: Conversion Factors



Most conversion factors come from equalities:

e.g. to convert 2.55 m to mm, we use the definition of mm:

```
1 \text{ mm} = 1\text{E-}3 \text{ m}
```

so to perform this conversion:

$$2.55 m \left(\frac{1 mm}{1 E - 3 m} \right) = 2.55 E 3 mm$$

```
To convert 9.33E2 g to cg:
```

Start with the initial value.

9.33E2 g
$$\left(\frac{1 \text{ cg}}{1\text{E-2 g}}\right) = 9.33\text{E4 cg}$$

Place units in the c. f. to cancel original units.

Place units in the c. f. to obtain desired units.

Place numbers in the c. f. to make the top and bottom of the factor equal to each other.

Complete the calculation, canceling units.

Using Density as a Conversion Factor

As a conversion factor: - to convert masses into volumes.

18.550 g of copper
$$\begin{bmatrix} 1 \text{ mL} \\ 8.96 \text{ g} \end{bmatrix}$$
 = 2.07 mL of Cu

- to convert volumes into masses.

$$2.07 \text{ mL of Cu} \left[\underbrace{8.96 \text{ g}}_{1 \text{ mL}} \right] = 18.6 \text{ g of Cu}$$



The density of Ti is 4.50 g/cm³. What is the volume of 7.20 g of Titanium?

- Collect and Organize:
- Analyze:
- Solve:
- Think about It:

Conversion factors based on defined relationships are considered exact and have infinite sig. figs.: 12 in. = 1 ft. 1 km = 1E3 m 60 s = 1 min

For measured relationships, the sig. figs. depend on the precision of the measurements: 1 L = 0.264 gallons (3 sig. figs.)

Howerver, "1 in. = 2.54 cm" is an exact definition and so has an infinite number of sig. figs.

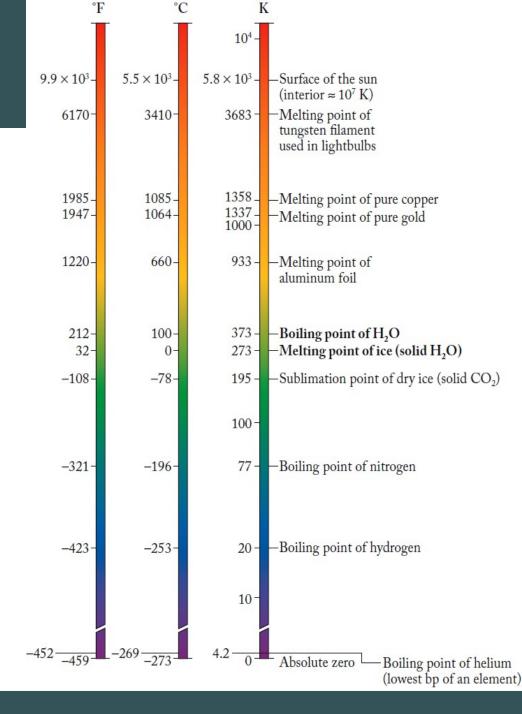
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Temperature Scales

Fahrenheit (°F) Celsius (°C) Kelvin (K)

Temperature Conversions: $K = {}^{\circ}C + 273.15$ ${}^{\circ}C = 5/9 ({}^{\circ}F - 32)$



Practice: Temperature Conversions



The lowest temperature measured on the Earth is -128.6 °F, recorded at Vostok, Antarctica, in July 1983. What is this temperature in °C and in Kelvin?

- Collect and Organize:
- Analyze:
- Solve:
- Think about It: