- 1. Force on a moving electric charge in a magnetic field: $F = qVBsin\theta$.
- 2. Force on a moving electric charge in an electric field. $F = q \times E$
- 3. Centripetal force: $F_c = m \frac{v^2}{r}$
- 4. Force on a current in a magnetic field. $F = I \times L \times B \times Sin\theta$
- 5. Magnetic field produced by electric current: $B = \frac{\mu_0 I}{2\pi r}$
- 6. Faraday's law of induction and Magnetic flux: $\xi = -N \frac{\Delta \Phi}{\Delta t}; \Phi = B_{\perp} A.$
- 7. Equations for transformers and power loss during transmission are shown below:

$$\frac{V_s}{V_P} = \frac{N_s}{N_P} \qquad I_S V_S = I_P V_P \qquad \mathsf{P} = \mathsf{IV} \qquad \qquad P_{loss} = I^2 R \qquad \mathsf{V} = \mathsf{IR} \qquad \qquad V_{rms} = \frac{v_p}{\sqrt{2}}$$

8. Reactance (X_C) of a capacitor and Reactance (X_L) of an inductor:

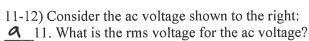
$$\chi_C = \frac{1}{2\pi f C}.$$
 $\chi_L = 2\pi f L.$
 $f = \frac{1}{T}$

9. Impedance (Z) of a series RCL circuit:

$$Z = \sqrt{(R^2 + (\chi_L - \chi_C)^2)}$$

- 10. Resonant frequency (f₀) of a series RCL circuit: $f_0 = \frac{1}{2\pi\sqrt{LC}}$.
- 11. Electromagnetic waves: $c = \frac{E}{B}$ $c = \lambda f$
- 12. Circumference, C and Area, A of a circle (radius r): $C = 2\pi r$ $A = \pi r^2$ Area of a rectangle = length x width. Area of a triangle = $\frac{1}{2} \times base \times height$
- 13. Proton charge = 1.6×10^{-19} C. Proton mass = 1.673×10^{-27} kg

A. Sciect the	o the question i	tor me marapi	c choices qu	estions and writ	e your answer in
1. The angle that the magnetic field of any point is: a. angle of declination c. angle of dip		the earth makes with respect to the surface at b. angle of rotation d. angle of latitude			
2-3) The mag 2. Define θ , i	netic force, F o	n a moving cha	arge in a ma F =	gnetic field is gi qVBsinθ V α velocit	iven by: Magnetic field Magnetic field
b 3 The S	I unit for magnetic b. $\frac{N.s}{c.m}$	etic field. T is o	eauivalent to):	
north. An electhe magnetic a. North	etron is moving force that acts of b. South	vertically dow on the electron c. East	vnward to th? d. West	e ground. What	zontal and points is the direction of
b 5. Which	one of the follows. W	lowing is a unit	t for electron	nagnetic power' e. Wb	? f. A
time?	_			ectromagnetic w e. Faraday	vaves for the first
$\frac{\mathbf{C}}{\text{a. }0^0}$ 7. What	is the angle bet b. 450	ween the E and c. 90°	d B fields in d. 1200	an electromagn e. 1800	etic wave?
b 8. Which a. iron	n one of the following b. aluminum	lowing is not a c. cobalt	ferromagne d. alnico		ım
2. Which A. radio wave	one of the electr B. ultraviole				of the human body?
into the page.	r the figure to t What is the di charge, which	rection of the nais proton and	nagnetic for moving to tl	ce	xxxxx
a. UP d. RIGHT	b. DO e. OU		c. LEFT f. IN	ia .	x x x x x



a. 7.1 V 4 12. What is the frequency of the ac voltage?

b. 10 V

b. 14 V

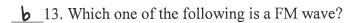
d. 20 V

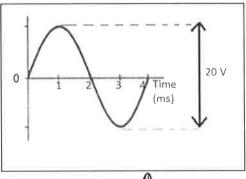
a. 250 Hz

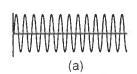
b. 500 Hz

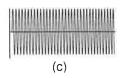
c. 750 Hz

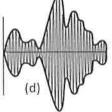
e. 1000 Hz











14-16) The drawing shows a straight wire carrying a current *I*. Above the wire is a rectangular loop that contains a resistor R, located in the same plane as straight wire.

▶ 14. What is the direction of the magnetic field inside the loop? a. coming out (') b. going in (X)

c 15. If the current *I* is constant, what is the direction of the induced current through the loop?

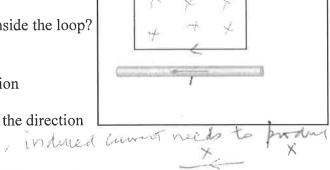
a 16. If the current *I* is decreasing in time, what is the direction of the induced current through the loop?

Answers for 15 & 16

a. clockwise

b. counterclockwise

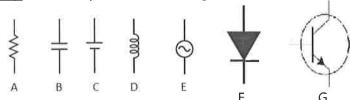
c. no current



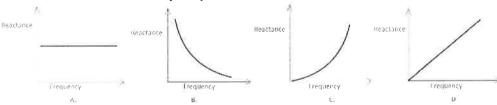
17. Radio waves travel at the speed of light, 3.0 x 10⁸ m/s. What is the wavelength 3×108 = 1000 ×103 ×) of the 1000 kHz radio wave? $(k = 10^3)$ e. 3.0 x 10⁵ m a. 0.3 m b. 3 m c. 30 m d. 300 m

B 18. Identify the capacitor among the circuit elements shown below:

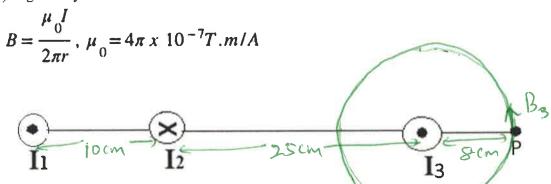
F 19. Identify the diode among the circuit elements shown below:



20. Which one of the following figures correctly shows the variation of reactance of an inductor as a function of frequency?



B. The magnetic field (B) due to a long straight wire, carrying a current (I), at a distance (r) is given by:



- Three long straight current carrying conductors 1, 2, and 3 are located perpendicular to 12 the page, as shown above. They are carrying currents, $I_1 = 3.5$ A (coming out of the page), $I_2 = 2.5$ A (going into the page), and $I_3 = 1.5$ A (coming out of the page), as shown above. Conductors 1 and 2 are separated by 10 cm, conductors 2 and 3 are separated by 25 cm, and point P is 8.0 cm from I₃.
 - 1. Draw the magnetic field with direction by I₃ at point P.
 - 2. Calculate the net magnetic field (magnitude and direction) at point P due to all three currents.

Draw the magnetic field with direction by
$$I_3$$
 at point P. Calculate the net magnetic field (magnitude and direction) at point P due to all three rents.

$$B_1 = \frac{\Gamma}{2\pi Y} = \frac{4\pi \times 10^{-2.5}}{2\pi \times 0.43} = 1.63 \mu T$$

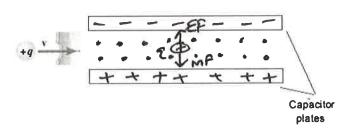
$$B_2 = \frac{\Gamma}{2\pi Y} = \frac{4\pi \times 10^{-2.5}}{2\pi \times 0.33} = 1.515 \mu T$$

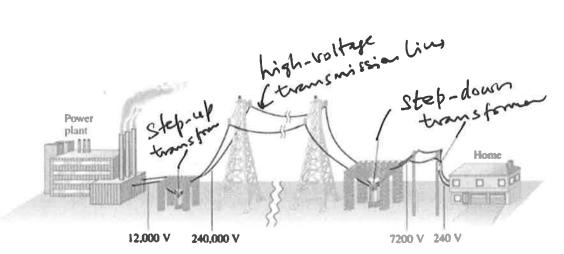
$$B_3 = \frac{\Gamma}{2\pi Y} = \frac{4\pi \times 10^{-2.5}}{2\pi \times 0.08} = 3.75 \mu T$$

$$B_{3} = \frac{\Gamma}{2\pi Y} = \frac{4\pi \times 10^{-2.5}}{2\pi \times 0.08} = 3.87 \mu T$$

$$B_{3} = \frac{1.515}{2\pi Y} = \frac{3.75 \times 1.63}{2\pi \times 0.08} = 3.87 \mu T$$

8 C. A velocity selector is shown for positively charged particles. Between the capacitor plates, magnetic field is perpendicular and coming out of the page. Show the charges in the capacitor plates, magnetic field, magnetic force, and the electric force in the diagram, when the charge is inside the plates.





- D. Power generation and transmission
- 1. Identify a step-down transformer, step-up transformer, and high-voltage transmission lines in the diagram above.
- 2. If there are 50 turns in the primary of the step-up transformer, how many turns are there in the secondary?

re in the secondary?

$$\frac{Ns}{Np} = \frac{Vs}{Vp}$$
 $\frac{Ns}{So} = \frac{240,000}{12,000} = \frac{20}{12,000}$
 $\frac{Ns}{Ns} = \frac{50 \times 20}{12000} = \frac{1000}{12000}$

3. If 2.2 MW of power is transmitted to a town located 37 km away, how much power is lost in the transmission lines? Assume that each of the two transmission lines has a resistance per kilometer of length of $4.5 \times 10^{-2} \ \Omega/\text{km}$.

esistance per kilometer of length of
$$4.5 \times 10^{-2} \Omega/\text{km}$$
.

 $P = 2.2 \text{ MW} = 2.2 \text{ pro W} = \text{IV} = \text{I} \times 240,000$
 $2.2 \times 10^{6} = \text{I} = 9.17 \text{ A}$
 $R = 2 \times 37 \times 4.5 \times 10^{-2} \Lambda = 3.33 \Lambda$
 $P = 1 \times 240,000 = 1 \times 240,000 = 1 \times 240,000$
 $R = 1 \times 240,000 = 1 \times 240,000 = 1 \times 240,000$
 $R = 1 \times 240,000 = 1 \times 240,000 = 1 \times 240,000$
 $R = 1 \times 240,000 = 1 \times 240,000 = 1 \times 240,000$
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 $R = 1 \times 240,000 = 1 \times 240,000 = 1 \times 240,000$
 $R = 1 \times 240,000 = 1 \times 240,000 = 1 \times 240,000 = 1 \times 240,000$
 $R = 1 \times 240,000 = 1$

4. What happens to the lost power in 3, above?

Heat of thermal energy.

A loop of wire has the initial shape shown in the drawing. The top part of the wire is bent into a semi-circle of diameter 0.30 m, which can be rotated with the handle. A constant magnetic field of magnitude 0.35 T is directed out of the paper.

Initial Shape of the loop	Shape of the loop after ½ a revolution
B, out-of paper	Vi induced and

- 1. Sketch the shape of the loop in the box above when the semi-circular side is rotated through 1/2 of a revolution.
- 2. What is the change in magnetic flux when the semi-circular side is rotated through $\frac{1}{2}$ of a revolution, starting from the position shown?

revolution, starting from the position shown?

$$\Delta \phi = -B_1 A = -0.35 \times \pi V^2 \qquad \qquad \qquad \qquad \qquad = -2.47 \times 10^2 \text{ T.m.}$$

$$= -0.0247 \text{ T.m.}$$

3. If the above ½ of a revolution takes 4.5 ms, what is the average induced emf in the loop?

4. If the resistance shown in the loop is 1.8 ohm, what is the induced current?

$$V = IR \rightarrow I = \frac{5.5}{R} = 3.05A$$

$$I = \frac{3.05A}{1.8}$$

5. Show the direction of the induced current in the loop?

3

- 3 6. What is the frequency of the above rotation? $f = \frac{1}{7} = \frac{1}{2 \times 4.5} \text{ ms}^{-1} = \frac{1}{9} \text{ ms}^{-1} = \frac{1}{0.009}$ 47. Describe 4 ways to increase the induced current in the loop.

 1. Excrease the area of the half-circle

 2. Rotate tasto
- - 2. Rotate fastor, 3. Increase the magnetic field. 4. Lower the resistance